Phrasal Weight Effect on Word Order

ver. quick and dirty

Lei Liu November 30, 2022

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- Minimalist parsing offers a quantitative way to understand structural complexity.

Outline

- 1. Introduction: English heavy NP shift
- 2. Minimalist parsing
 - Minimalist Grammar and its parser
 - Modeling word order preferences English HNPS
- 3. Conclusion
 - Where we are
 - Where to next

• English heavy NP shift

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- (1) a. Max put $[_{DP}$ boxes $] [_{PP}$ in his car].

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 - b. ??Max put [PP in his car] [DP boxes].
 - c. HNPS Max put [*PP* in his car] [*DP* all the boxes of home furnishings].

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- (1) a. Max put $[_{DP}$ boxes $] [_{PP}$ in his car].
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 - c. HNPS Max put [*PP* in his car] [*DP* all the boxes of home furnishings].
 - d. ?Max put [*DP* all the boxes of home furnishings] [*PP* in his car].

- English heavy NP shift
- (1) a. Max put $[_{DP}$ boxes $] [_{PP}$ in his car].
 - b. ??Max put [PP in his car] [DP boxes].
 - c. HNPS Max put [*PP* in his car] [*DP* all the boxes of home furnishings].
 - d. ?Max put [DP all the boxes of home furnishings] [PP in his car].

(1c) is preferred because it is structurally simpler than (1d).

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Max :: *D*⁻ *nom*⁻ **cat. mvmt**

```
packed :: D^+ V^-
sel. cat.
```

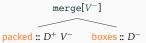
```
boxes :: D^- cat.
```

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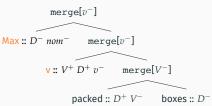
- lexical items
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- (2) Max packed boxes.
 - Max :: D^- nom⁻
cat. mvmtC :: T^+ C^-
sel. cat.packed :: D^+ V^-
sel. cat.T :: v^+ nom⁺ T^-
sel. mvmt cat.boxes :: D^-
cat.v :: V^+ D^+ v^-
sel. sel. cat.

Max :: D^- nom⁻ cat. mvmt packed :: $D^+ V^$ sel.cat. boxes :: $D^$ cat. $C :: T^+ \quad C^$ sel.cat. $T :: v^+ nom^+ T^$ sel. mvmt cat. $v :: V^+ \quad D^+ \quad v^$ sel. sel. cat.

Max :: D^- nom⁻ cat. mvmt packed :: $D^+ V^$ sel. cat. boxes :: $D^$ cat. $C :: T^+ \quad C^$ sel.cat. $T :: v^+ \quad nom^+ T^$ sel. mymt cat. $v :: V^+ \quad D^+ \quad v^$ sel. sel. cat.



Max :: D^- nom⁻ cat. mvmt packed :: $D^+ V^$ sel. cat. boxes :: D^{-} cat. $C :: T^+ \quad C^$ sel.cat. $T :: v^+ \quad nom^+ T^$ sel. mymt cat. $\mathbf{v} :: V^+ \quad D^+ \quad v^$ sel. sel. cat.



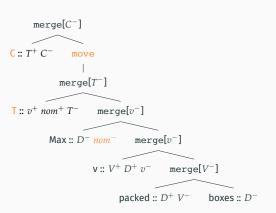
Max :: *D*⁻ *nom*⁻ cat. mvmt

cat.

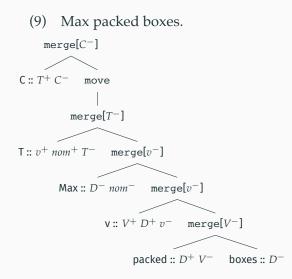
C::*T*⁺ *C*⁻ sel. cat.

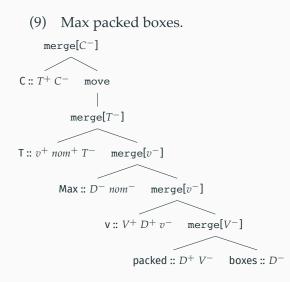
 $\begin{array}{ccc} {\sf T} :: v^+ & nom^+ \; T^- \\ & {\sf sel.} \; {\sf mvmt \; cat.} \end{array}$

v:: V^+ D^+ $v^$ sel. sel. cat.

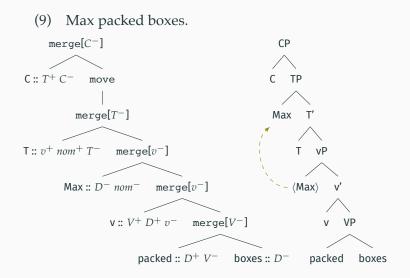




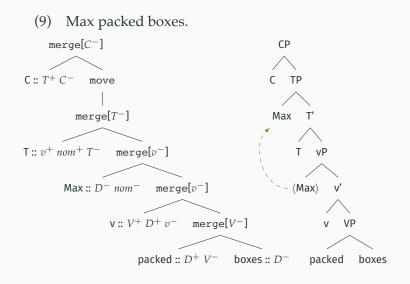




derivation tree

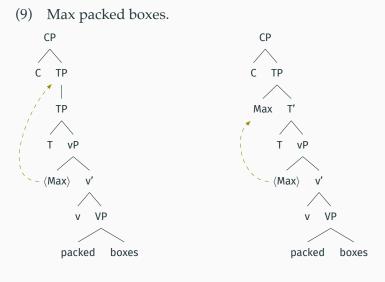


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derived tree



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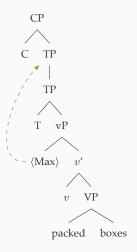
derived tree

An MG parser (Stabler 2013, Graf et al. 2015a) is a top-down parsers that:

- takes as input a string with pronounced and unpronounced nodes and,
- outputs derivation trees

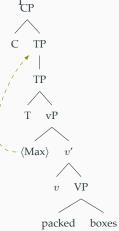
(9) • C Max T v packed boxes.

Step 1	CP is conjectured	look for (
Step 2	CP expands to C and TP	look for (
Step 3	C is found	look for Ma
Step 4	TP expands to TP	look for Ma
Step 5	TP expands to ${f T}$ and ${f vP}$	look for <mark>Ma</mark>
Step 6	${ m vP}$ expands to ${ m Max}$ and v'	look for Ma
Step 7	Max is found	look for '
Step 8	T is found	look for
Step 9	v^\prime expands to v and VP	look for
Step 10	v is found	look for packee
Step 11	VP expands to packed and b	oxeslook for packed
Step 12	packed is found	look for <mark>boxe</mark>
Step 13	boxes is found	done



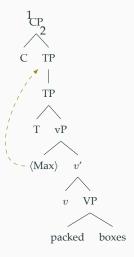
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Step 2	CP expands to C and TP	look for C	CI
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Step 4	TP expands to TP	look for Max	
Step 5	TP expands to ${f T}$ and ${f vP}$	look for Max	CT
Step 6	${ m vP}$ expands to ${ m Max}$ and v'	look for Max	1
Step 7	Max is found	look for T	1
Step 8	T is found	look for v	/ T
Step 9	v^\prime expands to v and VP	look for v	í j
Step 10	v is found	look for packed	/
Step 11	VP expands to packed and boxeslook for packed		í T
Step 12	packed is found	look for boxes	1
Step 13	boxes is found	done	



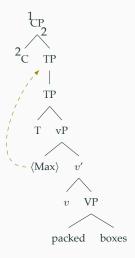
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Step 5	TP expands to T and vP	look for <mark>Max</mark>
Step 6	vP expands to Max and v^\prime	look for <mark>Max</mark>
Step 7	Max is found	look for T
Step 8	T is found	look for v
Step 9	v^\prime expands to v and ${ m VP}$	look for v
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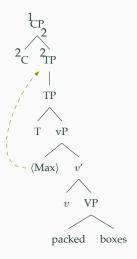
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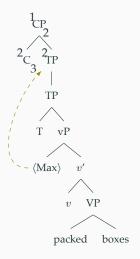


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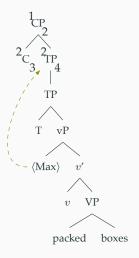




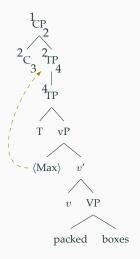




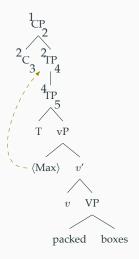




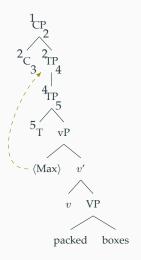




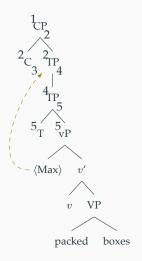






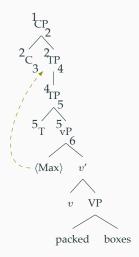






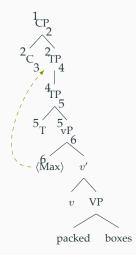
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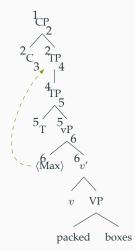
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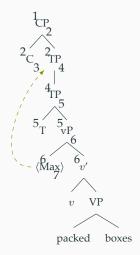
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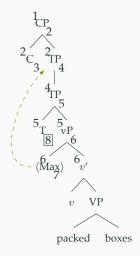
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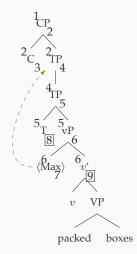
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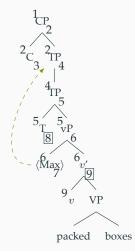
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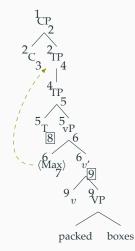
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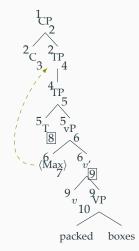
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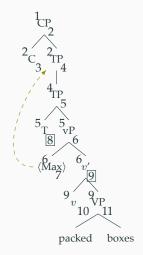
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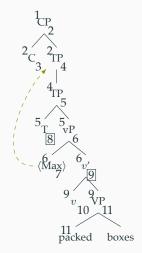
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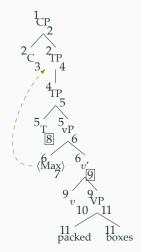
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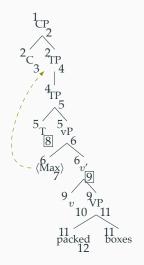
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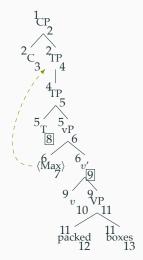
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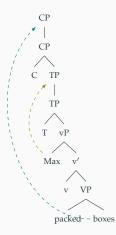
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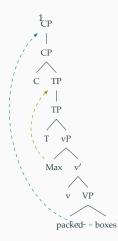


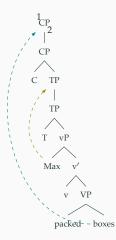
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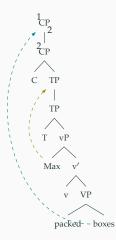
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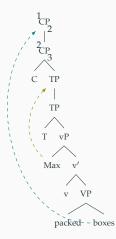


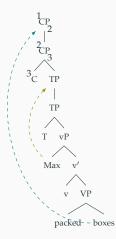


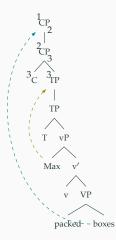


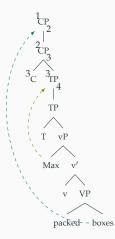


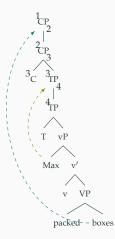


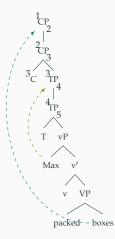


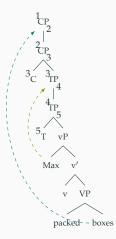


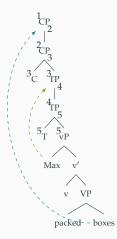


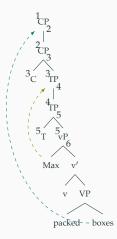


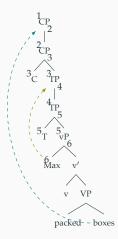


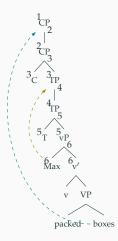


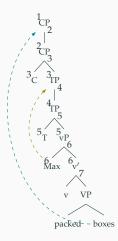


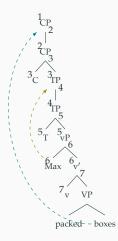


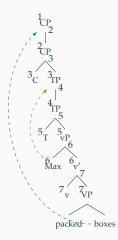


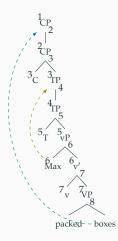


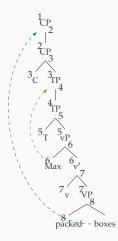


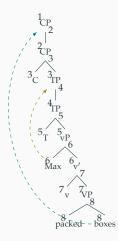


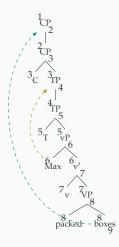




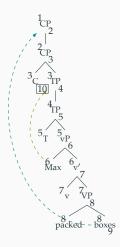


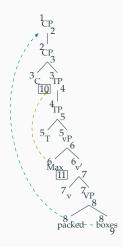




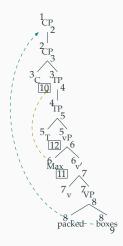


(10) Boxes, $\mathbf{C} \bullet \text{Max } \mathbf{T} \ v$ packed.

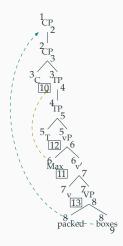




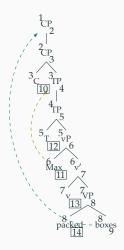
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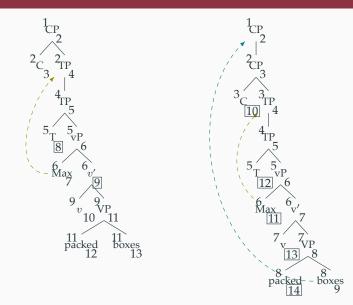


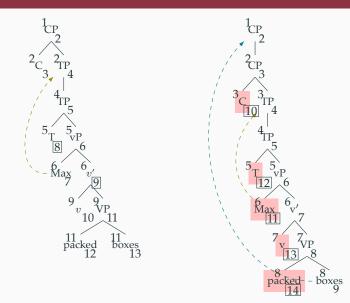
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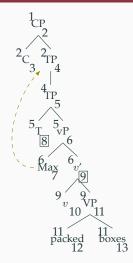


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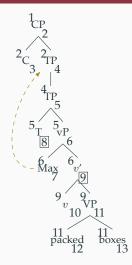




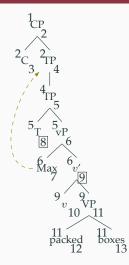




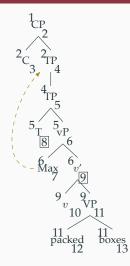
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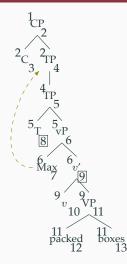
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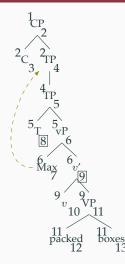
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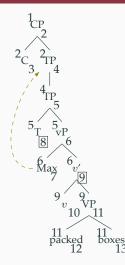
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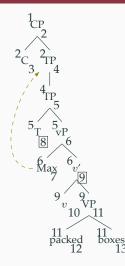
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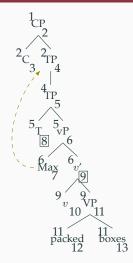
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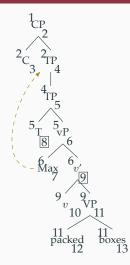
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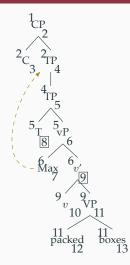
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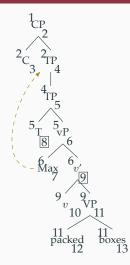
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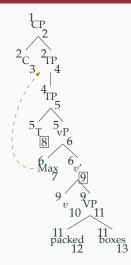
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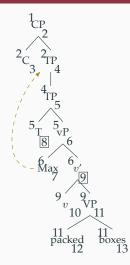
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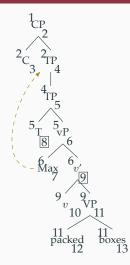
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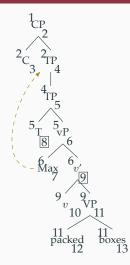
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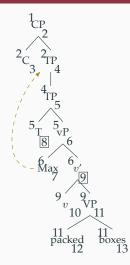


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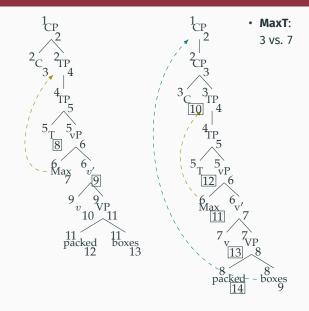
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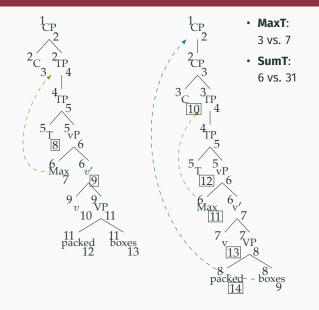


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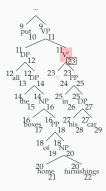


18



Modeling word order preferences - English HNPS

(16) put [*DP* ...boxes...] [*PP* in...] canonical order



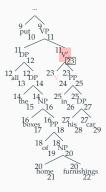
(17) put [*PP* in...] [*DP* ...boxes...] HNPS order



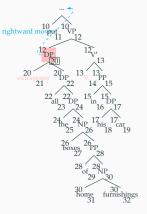
MaxT: 12/v' (canonical)

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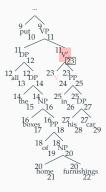


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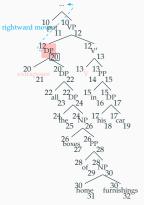


MaxT: 12/v' (canonical) > 8/DP (HNPS)

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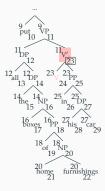


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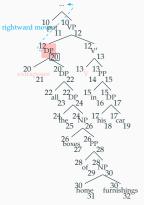


MaxT: 12/v' (canonical) > 8/DP (HNPS) \checkmark

(16) put [*DP* ...boxes...] [*PP* in...] canonical order

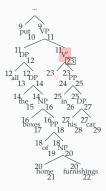


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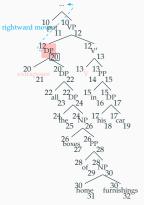


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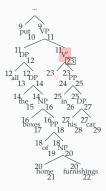


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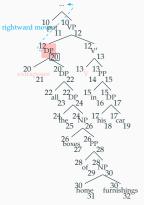


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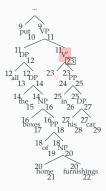


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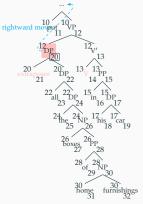


MaxT: 12/v' (canonical) > 8/DP (HNPS) \checkmark **SumT**: 18 (canonical) > 15 (HNPS) \checkmark

(16) put [*DP* ...boxes...] [*PP* in...] canonical order



(17) put [*PP* in...] [*DP* ...boxes...] HNPS order



MaxT: 12/v' (canonical) > 8/DP (HNPS) \checkmark SumT: 18 (canonical) > 15 (HNPS) \checkmark HNPS advantage!

Where we are

- Structural simplicity accounts for word order preferences in:
 - English heavy NP shift (HNPS)
 - (18) Max put [*PP* in his car] [*DP* all the boxes of home furnishings].
 - (19) Max put [$_{DP}$ all the boxes of home furnishings] [$_{PP}$ in his car].
 - English particle verb construction (PV)
 - (20) Chris **put on** $[_{DP}$ a hat which Alex made with merino wool].
 - (21) Chris **put** [*DP* a hat which Alex made with merino wool] **on**.
 - Mandarin ba construction
 - (22) Zhangsan ba [*DP* daocha] fang (le) [*PP* zai yong tanmu Z. ba knife.fork put (le) on use sandalwood zhizuo de zhuozi-shang] make de table-top
 - (23) Zhangsan [*PP* zai yong tanmu zhizuo de zhuozi-shang]
 Z. on use sandalwood make de table-top fang (le) [*DP* daocha]
 put (le) knife.fork
 'Z put a set of knife and fork on the table that is made of sandalwood.'

Across Many Constructions

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 - right vs. center embedding (Kobele et al. 2013)

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- Across languages
 - English, German, Italian, Korean, Japanese, Chinese, Persian...

• Structure evaluation (17)

- Structure evaluation (17)
- Processing difficulties at intermediate steps

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- Processing difficulties at intermediate steps
- I'm all ears!

References i

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